

- 6.6** Consider a one-dimensional hole flux as shown in Figure 6.4. If the generation rate of holes in this differential volume is $g_p = 10^{20} \text{ cm}^{-3}\text{-s}^{-1}$ and the recombination rate is $4 \times 10^{19} \text{ cm}^{-3}\text{-s}^{-1}$, what must be the gradient in the particle current density to maintain a steady-state hole concentration?

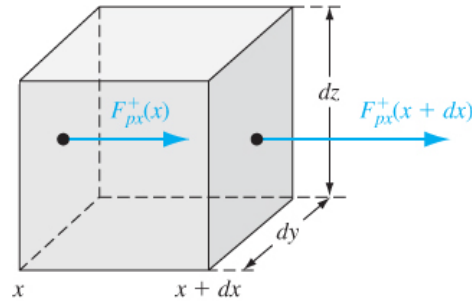


Figure 6.4 | Differential volume showing x component of the hole-particle flux.

Per (6.18),
$$\frac{\partial \rho}{\partial t} = \frac{-\partial F_p^+}{\partial x} + g_p - \frac{p}{\tau_{pt}}.$$

'steady-state' implies $\frac{\partial \rho}{\partial t} = 0$. Using (6.35) $R_p = \frac{p}{\tau_{pt}}$, this leaves

$$\frac{\partial F_p^+}{\partial x} = g_p - \frac{p}{\tau_{p0}} = g_p - R_p = 10^{20} - 4 \times 10^{19} \quad \Rightarrow \quad \frac{\partial F_p^+}{\partial x} = \underline{\underline{6 \times 10^{19} \text{ \#/ cm}^3\text{-s.}}}$$