

CENG 244 Introduction to Digital Systems

Exam 1 Topics & Notes

Topics and potential questions that you can expect on Exam #1 include:

Chapter 1

- 1) Positional number systems- how to convert numbers (both integer and fractional) from one system to another (e.g., binary, octal, decimal, duodecimal, & hexadecimal).
- 2) Expressing binary integers in octal & hexadecimal.
- 3) Binary arithmetic
- 4) Diminished radix complement (e.g., 9s complement, 1s complement)
- 5) Radix complement (e.g., 10s complement, 2s complement).
- 6) Subtraction with complements
- 7) Signed binary numbers- signed-magnitude, signed 1s-complement, and signed 2s-complement representations
- 8) Binary addition and subtraction using signed 2s-complement representation.
- 9) Binary Coded Decimal (BCD) and BCD addition.

Chapter 2

- 1) Truth Tables for Boolean functions
- 2) Simplification of Boolean expressions using Boolean algebra postulates and theorems. Operator precedence for Boolean algebra.
- 3) Find complement of a Boolean function.
- 4) Derive canonical Sum-of-Minterms or Product-of-Maxterms expressions for a Boolean function from a Truth Table or by using Boolean algebra. Be able to put in shorthand forms.
- 5) Put Boolean functions in standard Sum-of-Products or Product-of-Sums forms using Boolean algebra.
- 6) Understand fundamental Boolean operations (NOT, AND, OR, NAND, NOR, XOR, and XNOR).
- 7) Wiring and functionality of logic circuits, e.g., draw logic circuit/wiring diagram to implement given Boolean function or get Boolean function from given logic circuit/wiring diagram/wiring (similar to work in labs 1-3). Any required IC schematics will be given.

Notes:

- (1) The use of calculators and electronic devices of any kind will not be permitted on the exam.
- (2) The exam is closed book and closed notes.
- (3) However, you may print out and use the following page. You may put equations/notes **inside** the lower box. Rule- no worked problems or examples.

Table 2.1
Postulates and Theorems of Boolean Algebra

Postulate 2	(a)	$x + 0 = x$	(b)	$x \cdot 1 = x$
Postulate 5	(a)	$x + x' = 1$	(b)	$x \cdot x' = 0$
Theorem 1	(a)	$x + x = x$	(b)	$x \cdot x = x$
Theorem 2	(a)	$x + 1 = 1$	(b)	$x \cdot 0 = 0$
Theorem 3, involution		$(x')' = x$		
Postulate 3, commutative	(a)	$x + y = y + x$	(b)	$xy = yx$
Theorem 4, associative	(a)	$x + (y + z) = (x + y) + z$	(b)	$x(yz) = (xy)z$
Postulate 4, distributive	(a)	$x(y + z) = xy + xz$	(b)	$x + yz = (x + y)(x + z)$
Theorem 5, DeMorgan	(a)	$(x + y)' = x'y'$	(b)	$(xy)' = x' + y'$
Theorem 6, absorption	(a)	$x + xy = x$	(b)	$x(x + y) = x$

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Equations/Notes: